



**SIDDHARTHA INSTITUTE OF ENGINEERING AND TECHNOLOGY:: PUTTUR
(AUTONOMOUS)**

Siddharth Nagar, Narayanavanam Road – 517583

QUESTION BANK (DESCRIPTIVE)

Subject with Code :Control Systems (19EE0212)

Course & Branch: B.Tech– EEE&ECE

Year & Sem: III-B.Tech & I-Sem

Regulation: R19

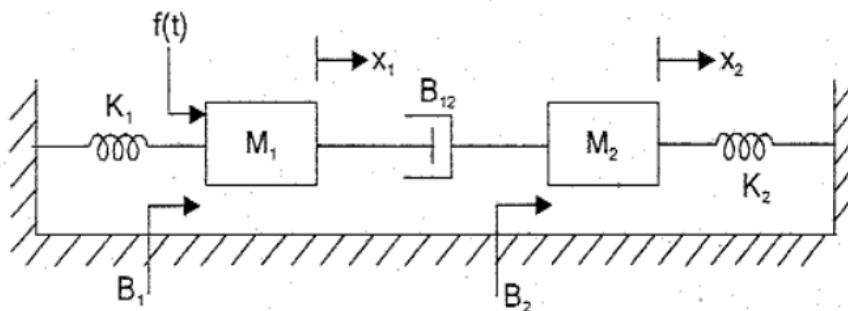
UNIT –I

SYSTEMS AND REPRESENTATION

Q.1

Determine the transfer function, $\frac{X_1(s)}{F(s)}$ and $\frac{X_2(s)}{F(s)}$ for the system shown in fig

[L1][CO1][12M]



Q.2

Write the differential equation governing the mechanical system shown in figure and determine the transfer function

[L1][CO1][12M]

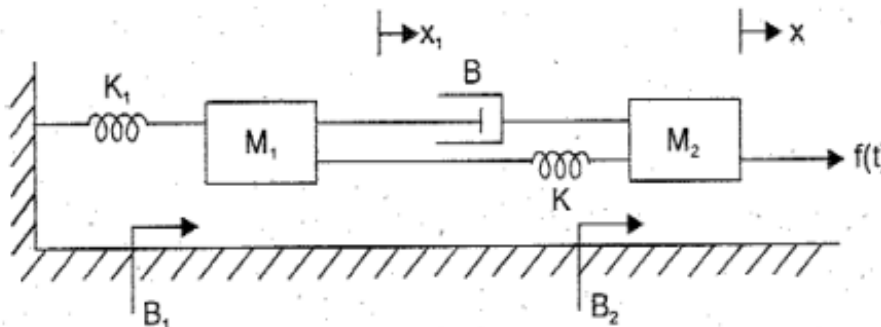
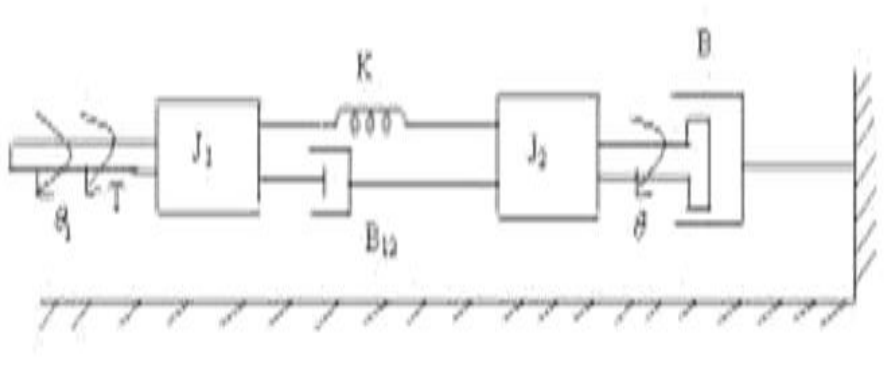


Fig 1.

Q.3

Write the differential equations governing the mechanical rotational system shown in the figure and find transfer function.

[L1][CO1][12M]

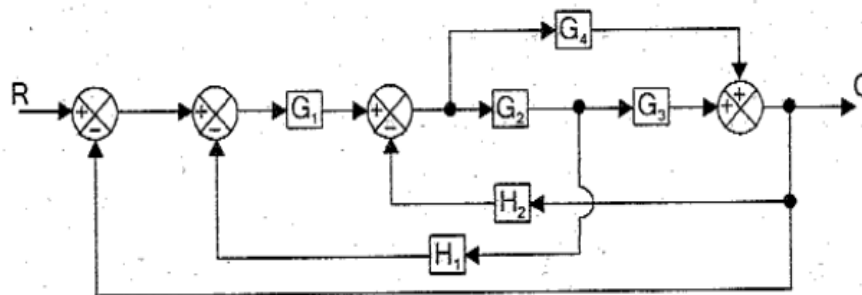


Q.4 Compare open loop and closed loop control systems based on different [L4][CO1] [8M]
 a. aspects?

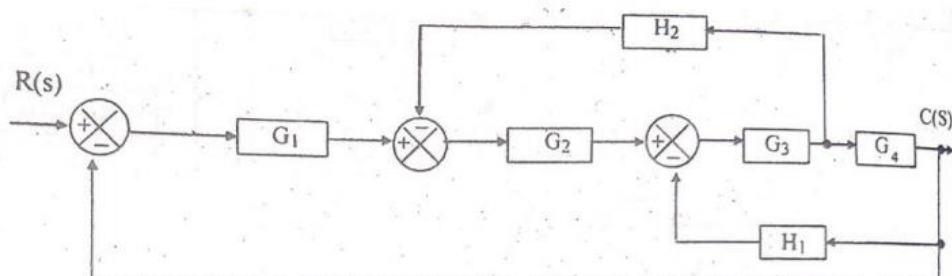
Distinguish between Block diagram Reduction Technique and Signal Flow [L4][CO1][4M]

b. Graph?

Q.5 Using Block diagram reduction technique find the Transfer Function of the [L1][CO1] 12M system.



Q.6 For the system represented in the given figure, obtain transfer function [L1][CO1] 12M $C(S)/R(S)$.

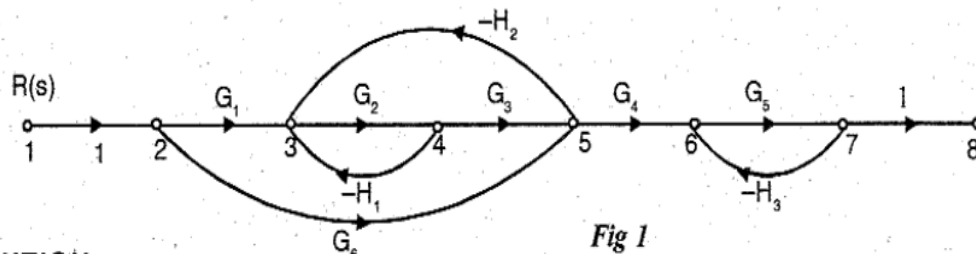


Q.7 a. Give the block diagram reduction rules to find the transfer function of the [L4][CO1] 8M system

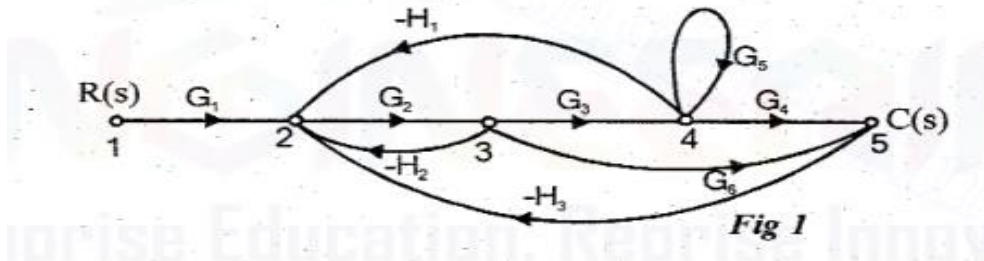
[L4][CO1] 4M

b. List the properties of signal flow graph.

Q.8 Find the overall transfer function of the system whose signal flow graph is shown below [L1][CO1] 12M

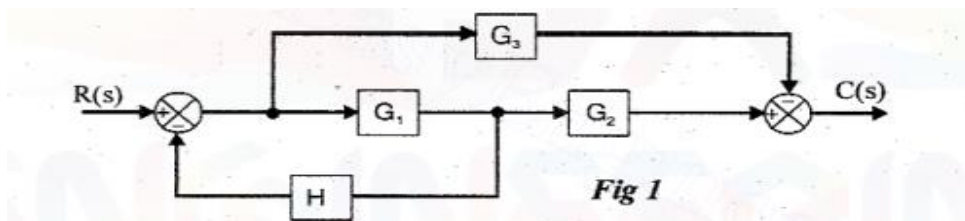


Q.9 Obtain the overall gain $C(S)/R(S)$ from signal flow graph shown in [L1][CO1] 12M



Q.10 [L1][CO1] 12M

Convert the block diagram to signal flow graph and determine the transfer function $C(S)/R(S)$.



UNIT-II

TIME DOMAIN ANALYSIS

Q.1 List out the time domain specifications and derive the expressions for Rise time, Peak time and Peak overshoot. [L1,CO2] 12M

Q.2 Find all the time domain specifications for a unity feedback control system [L1,CO2] 12M whose open loop transfer function is given by $G(S) = \frac{25}{s(s+5)}$.

Q.3 A closed loop servo is represented by the differential equation: $\frac{d^2c}{dt^2} + 8\frac{dc}{dt} =$ [L5,CO2] 12M

64e. Where ‘c’ is the displacement of the output shaft, ‘r’ is the displacement of the input shaft and $e = r - c$. Determine undamped natural frequency, damping ratio and percentage maximum overshoot for unit step input.

Q.4 a. Measurements conducted on a servo mechanism, show the system response [L5,CO2] 6M to be $c(t) = 1 + 0.2e^{-60t} - 1.2e^{-10t}$ When subject to a unit step input. Obtain an expression for closed loop transfer function, determine the undamped natural frequency, damping ratio?

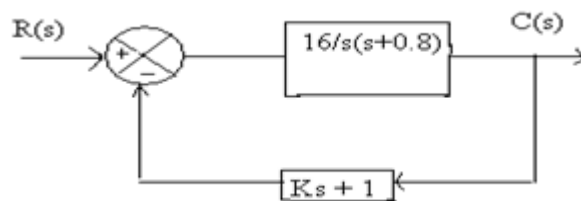
b. For servo mechanisms with open loop transfer function given below what [L1,CO2] 6M type of input signal give rise to a constant steady state error and calculate their values.

$$G(s)H(s) = \frac{10}{s^2(s+1)(s+2)}$$

Q.5 A unity feedback control system has an open loop transfer function, $G(s) =$ [L1,CO2] 12M $\frac{10}{s(s+2)}$. Find the rise time, percentage overshoot, peak time and settling time for a step input of 12 units.

Q.6 Define steady state error? Derive the static error components for Type 0, [L1,CO2] 12M Type 1 & Type 2 systems?

Q.7 A positional control system with velocity feedback shown in figure. What is [L5,CO2] 12M the response $c(t)$ to the unit step input. Given that damping ratio=0.5. Also determine rise time, peak time, maximum overshoot and settling time.



Q.8 a. A For servo mechanisms with open loop transfer function given below what [L3,CO2] 6M type of input signal give rise to a constant steady state error and calculate their values.

$$G(s)H(s) = \frac{20(s+2)}{s(s+1)(s+3)}$$

- b. Consider a unity feedback system with a closed loop transfer function $\frac{C(S)}{R(S)} =$ [L1,CO2] 6M

$$\frac{KS+b}{(s^2+as+b)}$$

Calculate open loop transfer function G(s). Show that steady state error with unit ramp

input is given by $\frac{(a-K)}{b}$

- Q.9** For a unity feedback control system the open loop transfer function

$$G(S) = \frac{10(S+2)}{s^2(S+1)}$$

(i) Determine the position, velocity and acceleration error constants. [L5,CO2] 6M

(ii) The steady state error when the input is $R(S) = \frac{3}{s} - \frac{2}{s^2} + \frac{1}{3s^3}$. [L1,CO2] 6M

- Q.10** a. What is the characteristic equation? List the significance of characteristic equation. [L1,CO2] 4M

- b. The system has $G(s) = \frac{K}{s(1+sT)}$ with unity feedback where K & T are constant. [L5,CO2] 8M

Determine the factor by which gain 'K' should be multiplied to reduce the overshoot from 75% to 25%?

UNIT -III

STABILITY ANALYSIS

- Q.1** With the help of Routh's stability criterion find the stability of the following systems represented by the characteristic equations: [L1,CO3] 12M

(a) $s^4 + 8s^3 + 18s^2 + 16s + 5 = 0$.

(b) $s^6 + 2s^5 + 8s^4 + 12s^3 + 20s^2 + 16s + 16 = 0$.

- Q.2** With the help of Routh's stability criterion determine the stability of the following systems represented by the characteristic equations: [L5,CO3] 12M

(a) $s^5 + s^4 + 2s^3 + 2s^2 + 3s + 5 = 0$

(b) $9s^5 - 20s^4 + 10s^3 - s^2 - 9s - 10 = 0$

- Q.3** The open loop Transfer function of a unity feedback control system is [L5,CO3] 12M
 given by $G(s)H(s) = \frac{K}{(s+2)(s+4)(s^2+6s+25)}$ Determine the value of K
 which will cause sustained oscillations in the closed loop system and what
 is the corresponding oscillation Frequency.
- Q.4** Find the range of K for stability of unity feedback system whose open [L1,CO3] 12M
 loop transfer function is $G(s) H(s) = \frac{K}{s(s+1)(s+2)}$ using Routh's stability
 criterion.
- Q.5** Explain the procedure for constructing root locus. [L2,CO3] 12M
- Q.6** Develop the root locus of the system whose open loop transfer function is [L3,CO3] 12M
 $G(s) H(s) = \frac{K}{s(s+2)(s+4)}$.
- Q.7** Develop the root locus of the system whose open loop transfer function is [L3,CO3] 12M
 $G(s) H(s) = \frac{K}{s(s^2+4s+13)}$
- Q.8** Develop the root locus of the system whose open loop transfer function is [L3,CO3] 12M
 $G(s) H(s) = \frac{K(s+9)}{s(s^2+4s+11)}$
- Q.9** Develop the root locus of the system whose open loop transfer function is [L3,CO3] 12M
 $G(s) H(s) = \frac{K(s^2+6s+25)}{s(s+1)(s+2)}$
- Q.10** Develop the root locus of the system whose open loop transfer function is [L3,CO3] 12M
 $G(s)H(s) = \frac{K}{s(s^2+6s+10)}$

UNIT-IV
FREQUENCY DOMAIN ANALYSIS

Q.1 Develop the Bode plot for the following transfer function [L3,CO4] 12M

$$G(s)H(s) = \frac{K e^{-0.1s}}{s(s+1)(1+0.1s)}$$

Q.2 Develop the Bode plot for the system having the following transfer function [L3,CO4] 12M

$$G(s) = \frac{15(s+5)}{s(s^2 + 16s + 100)}$$

Q.3 a. Define and derive the expression for resonant frequency. [L1,CO4] 6M

b. Develop the magnitude bode plot for the system having the following [L3,CO4] 6M

transfer function: $G(s) H(s) = \frac{2000(s+1)}{s(s+10)(s+40)}$

Q.4 Derive the expressions for resonant peak and resonant frequency and hence establish the correlation between time response and frequency response. [L3,CO4] 12M

Q.5 Develop the Bode plot for the following Transfer Function $G(s) H(s) =$ [L3,CO4] 12M

$$\frac{20(0.1s+1)}{s^2(0.2s+1)(0.02s+1)}$$

From the bode plot determine (a) Gain Margin (b) Phase Margin (c) Comment on the stability

Q.6 a. Define and derive the expression for resonant frequency [L1,CO4] 6M

b. Given $\xi = 0.7$ and $\omega_n = 10$ rad/sec. Find resonant peak, resonant frequency and bandwidth. [L5,CO4] 6M

Q.7 Sketch the polar plot for the open loop transfer function of a unity feedback system is given [L5,CO4] 12M

by $G(s) = \frac{1}{s(1+s)(1+2s)}$. Determine Gain Margin & Phase Margin.

Q.8 Sketch the polar plot for the open loop transfer function of a unity feedback system is given [L5,CO4] 12M

by $G(s) = \frac{1}{s^2(1+s)(1+2s)}$. Determine Gain Margin & Phase Margin.

Q.9 Draw the Nyquist plot for the system whose open loop transfer function is, [L5,CO4] 12M

$G(s)H(s) = \frac{K}{s(s+2)(s+10)}$. Determine the range of K for which closed loop system is stable.

- Q.10** Obtain the transfer function of Lead Compensator, draw pole-zero plot and write the procedure for design of Lead Compensator using Bode plot. [L5,CO4] 12M

UNIT-V

STATE SPACE ANALYSIS

- Q.1** Determine the Solution for Homogeneous and Non homogeneous State equations [L5,CO5] 12M
- Q.2** For the state equation: $\dot{\mathbf{X}} = \begin{pmatrix} 0 & 1 \\ -2 & -3 \end{pmatrix} \mathbf{X} + \begin{pmatrix} 0 \\ 1 \end{pmatrix} \mathbf{U}$ with the unit step input and the initial conditions are $\mathbf{X}(0) = \begin{pmatrix} 1 \\ 1 \end{pmatrix}$. Solve the following (a) State transition matrix [L3,CO5] 12M
(b) Solution of the state equation.
- Q.3** A system is characterized by the following state space equations:
 $\dot{X}_1 = -3x_1 + x_2$; $\dot{X}_2 = -2x_1 + u$; $Y = x_1$
 (a) Find the transfer function of the system and Stability of the system.
 (b) Compute the STM [L5,CO5] 12M
- Q.4** a. What are the properties of State Transition Matrix. [L1,CO5] 4M
 b. Diagonalize the following system matrix $A = \begin{pmatrix} 0 & 6 & -5 \\ 1 & 0 & 2 \\ 3 & 2 & 4 \end{pmatrix}$ [L3,CO5] 8M
- Q.5** A state model of a system is given as: [L2,CO5] 12M
 $\dot{\mathbf{X}} = \begin{pmatrix} 0 & 1 & 0 \\ 0 & 0 & 1 \\ -6 & -11 & -6 \end{pmatrix} \mathbf{X} + \begin{pmatrix} 0 \\ 0 \\ 1 \end{pmatrix} \mathbf{U}$ and $Y = (1 \ 0 \ 0) \mathbf{X}$
 Determine: (i) The Eigen Values. (ii) The State Transition Matrix.
- Q.6** a. Find a state model for the system whose Transfer function is given by [L3,CO5] 6M

$$\mathbf{G}(s) \mathbf{H}(s) = \frac{(7s^2 + 12s + 8)}{(s^3 + 6s^2 + 11s + 9)}$$
 Find the state model of the differential equation is [L3,CO5] 6M
 b. $y'''' + 2y'' + 3y' + 4y = u$

- Q.7** [L1,CO5] 12M
Diagonalize the following system matrix $A = \begin{pmatrix} 4 & 1 & -2 \\ 1 & 0 & 2 \\ 1 & -1 & 3 \end{pmatrix}$
- Q.8** a. Explain the properties of STM. [L2,CO5] 4M
[L1,CO5] 8M
b. For the state equation: $\dot{X} = \begin{pmatrix} 1 & 0 \\ 1 & 1 \end{pmatrix}X + \begin{pmatrix} 0 \\ 1 \end{pmatrix}U$ when, $X(0) = \begin{pmatrix} 1 \\ 0 \end{pmatrix}$.
Find the solution of the state equation for the unit step input.
- Q.9** [L1,CO5] 12M
Diagonalize the following system matrix $A = \begin{pmatrix} 0 & 1 & 0 \\ 3 & 0 & 2 \\ -12 & -7 & -6 \end{pmatrix}$
- Q.10** a. Define state, state variable, state equation. [L1,CO5] 6M
b. Derive the expression for the transfer function from the state model. [L3,CO5] 6M
$$\dot{X} = Ax + Bu \text{ and } y = Cx + Du$$

Prepared by: Dr.J.Gowrishankar, R.S. Sai Praveen Kumar, Rahul Bhattacharjee